# Pancyclicity of $k$-traceable oriented graphs

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An oriented graph is *k-traceable* if each of its induced subdigraphs of order $k$ is traceable. Obviously, an oriented graph is 2-traceable if and only if it is a tournament. Thus, for $k \geq 3$, $k$-traceable oriented graphs are natural generalizations of tournaments. It is known that every nontrivial strong tournament is pancyclic.